## People's Democratic Republic of Algeria

 Ministry of Higher Education and Scientific Research
## Mohamed Boudiaf University of M'sila

## Faculty of Sciences

Common Trunk of Matter Sciences
Practical works - Physics 2 $1^{\text {st }}$ year $-2^{\text {nd }}$ semester

## $4^{\text {th }}$ Practical Work

## ResistanceMeasurement

Experiment date: ......../......../.
Corrector professor :
Report prepared by :

| First name | Family name | Group | Sup- <br> group | Preparation <br> mark | Final mark |
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Academic year : 2023/2024

## 1-The purpose of experiment

The purpose of this experiment is to measure current, voltage and resistance using a multimeter. Calculate Resistance using Ohm's law. Assemble the setup of simple and mixed electrical circuits. Determine the equivalent resistance of a mixed circuit. Check the law of junctions and the law of loops. Highlight the usefulness and use of the Wheatstone bridge and Knowledge of metals from the measurement of resistivity.

## 2-Notions and preparation work

## 2-1- Some laws of electrical circuits

Let a circuit consist of a generator $(E)$ connected to a resistor $R$ (expressed in Ohms) using the conductive wires (figure-1).

Voltage is responsible for the movement of charges in an electrical circuit, the current is the flow of these charges, and resistance represents the tendency of a circuit element


Figure-1 to oppose the flow of current.
The voltage $V$ (expressed in Volts) is measured using a voltmeter « $V »$. It is a parallel measurement with an element of the circuit.

The current $I$ (expressed in Amps) is measured using an ammeter « $A$ ». It is a series measurement in the circuit. According to Ohm's law, measurements made against a resistor must satisfy the relationship: $V=R I$,
A group of resistances $\left(R_{1}, R_{2}, \ldots, R_{n}\right)$ in series has an equivalent resistance given by $R_{e q}=R_{1}+R_{2}+$ $\cdots+R_{n}$, while $\frac{1}{R_{e q}}=\frac{1}{R_{1}}+\frac{1}{R_{2}}+\cdots+\frac{1}{R_{n}}$ when these resistors are connected in parallel.

- Calculate the equivalent resistance for $R_{1}=100 \Omega, R_{2}=150 \Omega$, and $R_{3}=100 \Omega$.

2-1-a- $R_{1}, R_{2}$ and $R_{3}$ are connected in series, $R_{e q}=\cdots \Omega$.
2-1-b- $R_{1}, R_{2}$ and $R_{3}$ are connected in parallel, $R_{e q}=\cdots \Omega$

figure-2

2-1-c- $R_{1}, R_{2}$ and $R_{3}$ are connected in a mixed circuit according to figure- $2 ; R_{e q}=\cdots \quad \Omega$.

Note: The equivalent resistance is calculated from the equivalent circuit where each branch is replaced by a resistance by first simplifying the series resistance groupings.

2-1-d- $R_{1}, R_{2}$ and $R_{3}$ are mounted in a mixed circuit according to Figure-3; $R_{e q}=\cdots \quad \Omega$ -The law of junctions applies to connection points of circuit elements. The law of junctions states that the The sum of the currents entering a junction is equal to
The sum of the currents leaving the junction.
For the mixed circuit following figure-3; $I=I_{1}+I_{2}$.


Figure-3

The law of meshes applies to loops in the electrical circuit. The law of meshes states that the sum of currents entering a node is equal to the sum of the currents leaving the node. (figure-4). For the previous circuit, we have
Mesh $N^{0} 1$ traveled by the current $I_{1}$ :
$E=R_{3} I_{1}=R_{3}\left(I-I_{2}\right)$
Mesh $N^{0} 2$ traveled by the current $I_{2}$ :
$0=-R_{3} I_{1}+\left(R_{1}+R_{2}\right) I_{2}=R_{3}\left(I_{2}-I\right)+\left(R_{1}+R_{2}\right) I_{2}$
where $E$ is the voltage across the generator.


Figure-4

## 2-2- Wheatstone bridge

The Wheatstone bridge is used to convert a variation in resistance into a variation in voltage, which makes it a sensor in environments where measurement is difficult.
Consider the setup of figure-5.
2-2-a- Give the direction of $U_{A M}, U_{B M}, U_{A B}$ in figure-5.
2-2-b- Express $U_{A M}=f\left(R_{1}, R_{2}, E\right)$
$U_{A M}=\cdots$
2-2-c- Express $U_{B M}=f\left(R_{v}, R_{x}, E\right)$
$U_{B M}=\cdots$
2-2-d- Deduce $U_{A B}=f\left(R_{1}, R_{2}, R_{v}, R_{x}, E\right)$
$U_{A B}=\cdots$
2-2-c-If $U_{A B}=0$, the bridge is said to be equilibrated.


Figure-5

Show that the expression for $R_{x}$ takes a form independent of the supply voltage.

## 3- Practical work

## 3-1- Simple circuits

## 3-1-a- Resistors in series

Perform the setup where $R_{1}, R_{2}$ and $R_{3}$ are
Connecting in series.
Powering your circuit with voltage $E=5.0 \mathrm{~V}$ and complete the opposite table.

|  | $R_{l}$ | $R_{2}$ | $R_{3}$ |
| :--- | :--- | :--- | :--- |
| $I(m A)$ |  |  |  |
| V(Volts) |  |  |  |
| Resistance ( $\Omega$ ) |  |  |  |

## 3-1-b- Resistors in parallel

Perform the setup where $R_{1}, R_{2}$ and $R_{3}$ are
Connecting in parallel.
Powering your circuit with voltage $E=5.0 \mathrm{~V}$ and complete the opposite table

## 3-2-Mixed circuits

Perform the setup where $R_{1}, R_{2}$ and $R_{3}$ are following figure-2.
Powering your circuit with voltage $E=5.0 \mathrm{~V}$ and complete the opposite table
Perform the setup where $R_{1}, R_{2}$ and $R_{3}$ are following figure-3.
Powering your circuit with voltage $E=5.0 \mathrm{~V}$ and complete the opposite table

|  | $R_{1}$ | $R_{2}$ | $R_{3}$ |
| :--- | :--- | :--- | :--- |
| $I(m A)$ |  |  |  |
| $V$ (Volts) |  |  |  |
| Resistance $(\Omega)$ |  |  |  |


|  | $R_{l}$ | $R_{2}$ | $R_{3}$ |
| :--- | :--- | :--- | :--- |
| $I(\mathrm{~mA})$ |  |  |  |
| V(Volts) |  |  |  |
| Resistance ( $\Omega$ ) |  |  |  |


|  | $R_{1}$ | $R_{2}$ | $R_{3}$ |
| :--- | :--- | :--- | :--- |
| $I(m A)$ |  |  |  |
| $V($ Volts $)$ |  |  |  |
| Resistance $(\Omega)$ |  |  |  |

## 3-3- Measuring the resistivity of a material

Perform the experimental setup in figure -5 , where $R_{1}=1 \mathrm{k} \Omega$ and $R_{2}=100 \mathrm{k} \Omega$ and the resistant wire in place of $R_{x}$. Power the circuit with a voltage $\mathrm{E}=5.0 \mathrm{~V}$.
Vary the resistance " $R_{v}$ " until the bridge is equilibrated (the galvanometer indicates zero voltage). For different section values, $S$, of resistant wire " $L=1 \mathrm{~m}$ " long;
a)-Complete the table opposite.
b)-Deduce the type of the two metals; Use the displayed table of resistivity values.

| Wire diameter $d(\mathrm{~mm})$ | 1 | 0.5 | 0.7 |
| :--- | :--- | :--- | :--- |
| $\mathrm{R}_{\mathrm{v}}(\Omega)$ |  |  |  |
| Resistance $R_{x}(\Omega)$ |  |  |  |
| Resistivity $\rho=\frac{R S}{L}$ <br> $(\Omega . \mathrm{cm})$ |  |  |  |

Electrical resistivity values of certain materials (at $\mathbf{T}=\mathbf{2 0}{ }^{\circ} \mathrm{C}$ )

| Material | Resistivity ( $\mathbf{1 0}^{-6}$ ת .cm) |
| :---: | :---: |
| Silver | 1.63 |
| Copper | 1.69 |
| Gold | 2.2 |
| Aluminum | 2.67 |
| Tungsten | 5.4 |
| Zinc | 5.96 |
| Brass (copper + zinc alloy) | 6.2-7.8 |
| Iron | 10.1 |
| Platinum | 10.58 |
| Lead | 20.6 |
| Constantan (Cu55/Ni45 alloy) | 52 |
| Carbon | 3500 |
| Germanium | $46 \times 10^{6}$ |
| Silicon | $23 \times 10^{6}$ |
| Glass | $10^{10}-10^{14}$ |
| Hard rubber | $10^{13}$ |
| Suffer | $10^{15}$ |
| Fused Quartz | $76 \times 10^{16}$ |

