### University of Mohamed Boudiaf M'sila Faculty of Mathematics and Computer Science Department of Computer Science Master 01 SIGL

Duration: 1h30 (90 Minutes) Instructor DR. Hichem Debbi

### Formal Verification and Specification Final Exam May 23, 2023

## True/False

(03 points) Write True if the statement is true, otherwise write False.

 $F\psi \equiv \psi \lor XF\psi$ 

nuSMV is a symbolic model checker

- Equivalence checking is based on the abstraction/refinement principle.
- It is not possible to implement an abstract machine without passing by the refinement step
- $\_$  pWq is true, if only if q is true
  - In B method, properties are predicates on constants
- Section 2. Short Answer(02 points)
  - 1. What is the difference between a liveness property and a safety property. Give an example for each one ?
  - 2. Cite four (04) formal specification languages ?

Section 3. Method-B Specification(07 points)

3. Suppose that we have the following problem: The computer science department has a number of available *Datashows*:

— Abstract Machine MACHINE data\_show\_reserv SETS DataShows; /\* abstract set of datashows \*/ reserved = ok, ko /\* datashow used or not \*/ CONSTANTS max\_Rsrc /\* limit \*/ PROPERTIES max\_Rsrc : 1..MAXINT

1- Complete the abstract machine data\_show\_reserv by adding invariants, initialization, and the three following operations:

- **reserve**: for reserving a datashow.
- free: frees up a datashow
- isReservedDatashow: Checks whether a datashow is reserved or not.

2- Create an implementation for this abstract machine using arrays as total functions (Symbol: -- >)) Section 4.  $\omega$ -expressions(04 points)

4. Give the  $\omega$ -regular expressions for the following Büchi automaton :



Figure 3: C

## Section 5. CTL(04 points)

5. Consider the kripke structure presented in the figure below



Figure 4: A Kripke structure

1- Construct its corresponding tree.

2 - Identify the set of states in which the following CTL properties are satisfied. Justify your response textually or by providing paths.

- $\bullet$  EGq
- $EF(\neg r \wedge EXr)$
- $\bullet$  AGEGp

# Answer Key for Exam $\blacksquare$

## True/False

(03 points) Write True if the statement is true, otherwise write False.

- <u>True</u>  $F\psi \equiv \psi \lor XF\psi$
- <u>True</u> nuSMV is a symbolic model checker
- False Equivalence checking is based on the abstraction/refinement principle.
- False It is not possible to implement an abstract machine without passing by the refinement step
- False pWq is true, if only if q is true
- True In B method, properties are predicates on constants

Section 2. Short Answer(02 points)

1. What is the difference between a liveness property and a safety property. Give an example for each one ?

Answer: See course.

2. Cite four (04) formal specification languages ?

Answer: See course.

Section 3. Method-B Specification(07 points)

3. Suppose that we have the following problem: The computer science department has a number of available *Datashows*:

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#### Answer:

Section 4.  $\omega$ -expressions(04 points)

4. Give the  $\omega$ -regular expressions for the following Büchi automaton :



Figure 7: C

**Answer:** •  $(a+b)^*a^\omega + (a+b)^*a(ba)^\omega$ 

- $(aa(a+b)^*ab)^{\omega}$
- $((aa)^+b)^{\omega} + ((aa)^+b)^*a^{\omega}$

### Section 5. CTL(04 points)

5. Consider the kripke structure presented in the figure below



Figure 8: A Kripke structure

1- Construct its corresponding tree.

2 - Identify the set of states in which the following CTL properties are satisfied. Justify your response textually or by providing paths.

- EGq
- $EF(\neg r \wedge EXr)$
- AGEGp

**Answer:** • only in s0. s0 infinantely

• is satisfied in all states. There is a path starting from s, such that in some state in the future  $\neg r$  holds and such that in some next state r holds. The set of all states with  $\neg r$  such that there exists a next state with r is  $\{s0, s2\}$ . Since we can reach s0(ands1) from all states the formula holds for all states.

• There is no state  $(\emptyset)$ . For every path starting in s, in each state on this path, EG t must be true, i.e., it is possible to find a path starting there where p is always true. Example: in s0 the property EGp holds, but not always since from s1 on there is no path satisfying the property.